

Department of Mathematics, BGU

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## Combinatorics Seminar

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**On** *Tuesday, May, 14 2019*

**At** *13:00 – 14:00*

**In** *101-*

Roman Glebov (BGU)

will talk about

### **The number of Hamiltonian decompositions of regular graphs.**

Abstract: A Hamiltonian decomposition of  $\Gamma$  is a partition of its edge set into disjoint Hamilton cycles. One of the oldest results in graph theory is Walecki's theorem from the 19th century, showing that a complete graph  $K_n$  on an odd number of vertices  $n$  has a Hamiltonian decomposition. This result was recently greatly extended by Kuhn and Osthus. They proved that every  $r$ -regular  $n$ -vertex graph  $\Gamma$  with even degree  $r=cn$  for some fixed  $c>1/2$  has a Hamiltonian decomposition, provided  $n=n(c)$  is sufficiently large. In this talk we address the natural question of estimating  $H(\Gamma)$ , the number of such decompositions of  $\Gamma$ . The main result is that  $H(\Gamma)=r^{\{(1+o(1))nr/2\}}$ . In particular, the number of Hamiltonian decompositions of  $K_n$  is  $n^{\{(1+o(1))n^2/2\}}$ .

Joint work with Zur Luria and Benny Sudakov.